Teacher Lesson Plan

Lesson: 6.2.5 - Supplement

Solving and Graphing Two-Step Inequalities

#### **CC Standards**

**7.EE.4b** Use variables to represent quantities in a real-world or mathematical problem, and construct simple equations and inequalities to solve real-world or mathematical problem, and construct simple equations and inequalities to solve problems by reasoning about the quantities.

b) Solve word problems leading to inequalities of the form px + q > r or px + q < r, where p, q, and r are specific rational numbers. Graph the solution set of the inequality and interpret it in the context of the problem. For example: As a salesperson, you are paid \$50 per week plus \$3 per sale. This week you want your pay to be at least \$100. Write an inequality for the number of sales you need to make, and describe the solutions.

#### **Objective**

The students will solve two-step inequalities and graph their solutions.

#### **Mathematical Practices**

#1 Make sense of problems and persevere in solving them.

#5 Use appropriate tools strategically.

#6 Attend to precision.

#7 Look for and make use of structure.

#### **Teacher Input**

Bellwork: Review bellwork.

Homework: Review important problems assigned the previous night.

Introduction: Introduce as directed on the PowerPoint.

Lesson: Teach as directed by PowerPoint. Look at each slide for additional comments and answers.

Make sure students follow along in their notes.

#### **Classwork**

Page 6

#### Homework

Page 7

#### **Extra Practice**

Print from any of the 54 inequality worksheets located at:

http://www.mathworksheets4kids.com/two-step-inequalities.html

#### Closure

See last slide of PowerPoint for closure. Student will have to summarize the difference between equations and inequalities. They will have to make up 3 problems where you flip the inequality symbol and 3 problems where you do not flip the symbol.

#### **Equations vs. Inequalities**

- The good news is that you solve an inequality just like you do an equation.
- There are a few special things to consider with inequalities:
  - 1) We need to look *carefully* at the inequality problem because there are times when you will have to **FLIP** the inequality symbol.
  - 2) We also need to graph the solution set.
- An inequality symbol needs to be **reversed** (flipped) when you *multiply or divide* both sides of the inequality by a negative number.



-2x + 5 > 15 Example 2:  $\frac{x}{-8} + 5 \le 13$ 

Look for the variable! If it is "teamed-up" with a negative number, Flip it!

#### You Try #1

Analyze each inequality. If it is an inequality where you will need to *flip* the symbol, then **circle** that inequality symbol and write above it what it will look like after the inequality has been solved. *Do not work the problems*.

(1) 
$$6a - 5 \le -23$$

(2) 
$$-x + 4 < 14$$

(3) 
$$-\frac{r}{2} + 8 > 16$$

(4) 
$$12 - 11a \ge 45$$

(5) 
$$3x + 9 > -36$$

(6) 
$$-22 < 6c + 4$$

(7) 
$$-6t + (-4) \ge 14$$

(8) 
$$\frac{x}{-6} + 2 \le 8$$

(9) 
$$5x - 3x + 2 > 12$$

(10) 
$$5x - 8x + 4 < 16$$

#### Solving an Inequality where you have to reverse (flip) the symbol.

Solve: -3y + 5 > 23

$$-5 > 23$$
  
 $-5$  • Subtract 5 from each side.

$$-3y > 18$$

Graph the solution.

Open circle, line to the left.

# **Guided Practice #1** You Try #1 $3x + 4 \ge 16$ 5 + 4x < 33**Guided Practice #2** You Try #2 7 - 2x > 11 $6-3x \leq 9$ **Guided Practice #3** You Try #3 $\frac{x}{4} + 3 \geq -7$ $\frac{x}{2} - 5 < -8$

# **Guided Practice #4** You Try #4 $1-\frac{x}{2}>-4$ $8-\frac{x}{3}\leq 7$ **Guided Practice #5** You Try #5 $-k+6 \geq 42$ $-m+3 \leq -3$ **Guided Practice #6** You Try #6 -11 < -6x + 1-2 > 2x - 10

#### **STATE TEST PREP**

Try These...

- (1) What is the solution to the inequality 3x 42 > 3?
  - A  $X > ^{-}13$
  - B  $x < ^{-}13$
  - C x > -15
  - D x < -15
- (2) Which choice is a graph of the solution set for 12 x < 8?

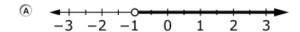


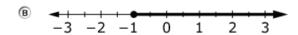






(3) Which number line shows the solution to the inequality -3x - 5 < -2?





- Which set of numbers is included in the solution set of 4 3x < -2?
  - A {2.5, 8, 15}
  - B {-8, 0, 1.5}
  - C {-15, -8, 0}
  - D {0, 2.5, 8}

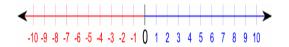
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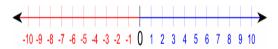
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Solve and Graph each inequality.

1) 
$$3x + 12 \le -9$$

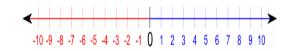
2) 
$$\frac{x}{5} - 3 > -4$$

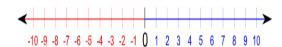




3)  $0 \ge 5k + 15$ 

4) 
$$9 - 2y < 7$$



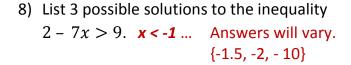


Solve each inequality.

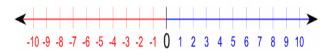
$$5) \qquad -\frac{x}{4} + 2 > 11$$

6) 
$$6t + 7 \ge -23$$

7) 
$$-k + 75 \le 100$$
  $k \ge 25$ 



9) Graph the following inequality:  $-8 \le x$ 



John solved the inequality  $3x - 5 \ge 28$  and determined that x could equal to 12. Is John correct? Explain why or why not.

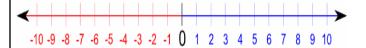
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1) Solve and Graph.

$$2x + 4 \geq 14$$

2) Solve and Graph.

$$\frac{x}{-3} - 3 \le -2$$



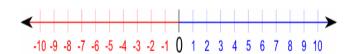
-10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10

3) Solve and Graph.

$$-15 < 2x - 7$$

4) **Solve** for *x*.

$$-24 + 7x < 11$$



5) **Solve** for *h*.

$$6h - 10h + 2 \ge -10$$

6) **Solve** for *x*.

$$-x + 5 > 23$$

# Answer Keys |

#### **Equations vs. Inequalities**

- The good news is that you solve an inequality just like you do an equation.
- There are a few special things to consider with inequalities:
  - 3) We need to look *carefully* at the inequality problem because there are times when you will have to **FLIP** the inequality symbol.
  - 2) We also need to graph the solution set.
- An inequality symbol needs to be reversed (flipped) when you multiply or divide both sides of the inequality by a negative number.



-2x + 5 > 15 Example 2:  $\frac{x}{-8} + 5 \le 13$ 

Look for the variable! If it is "teamed-up" with a negative number, Flip it!

Analyze each inequality. If it is an inequality where you will need to *flip* the symbol, then circle that inequality symbol and write above it what it will look like after the inequality has been solved. Do not work the problems.



(1) 
$$6a - 5 \le -23$$

(2) 
$$-x + 4 < 14$$

(3) 
$$-\frac{r}{2} + 8 \bigcirc 16$$

(5) 
$$3x + 9 > -36$$

(6) 
$$-22 < 6c + 4$$

$$(7) \qquad -6t + (-4) \ge 14$$

(8) 
$$\frac{x}{-6} + 2 \le 8$$

(9) 
$$5x - 3x + 2 > 12$$

(10) 
$$5x - 8x + 4 < 16$$

#### Solving an Inequality where you have to reverse (flip) the symbol.

Solve: 
$$-3y + 5 > 23$$
  
 $-5$  • Subtract 5 from each side.

Graph the solution.

Open circle, line to the left.

#### **Guided Practice #1**

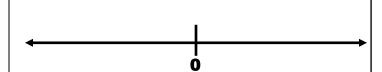
$$3x + 4 \ge 16 \qquad x \ge 4$$

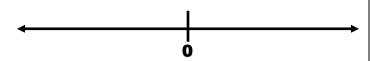


#### You Try #1

$$5 + 4x < 33$$
  $x < 7$ 







#### **Guided Practice #2**

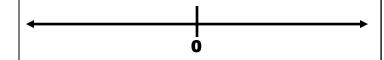
$$7 - 2x > 11$$
  $x < -2$ 

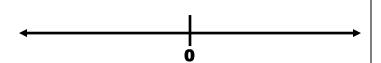


#### You Try #2

$$6-3x\leq 9 \qquad x\geq -1$$







#### **Guided Practice #3**

$$\frac{x}{2} - 5 < -8 \quad x < -6$$

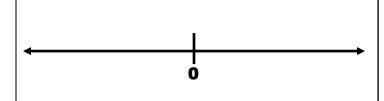


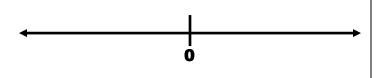
#### You Try #3

$$\frac{x}{4} + 3 \ge -7 \qquad x \ge -40$$

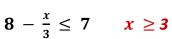




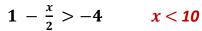




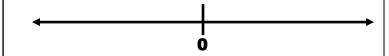
#### **Guided Practice #4**



## You Try #4







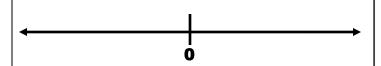
#### **Guided Practice #5**

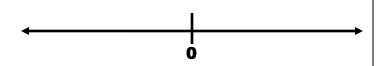
$$-k+6 \geq 42$$
  $k \leq -36$ 

## You Try #5

$$-m+3\leq -3 \qquad m\geq 6$$







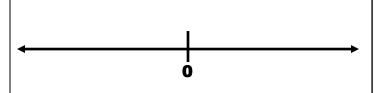
#### **Guided Practice #6**

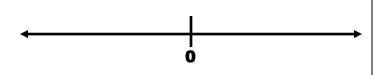
$$-2 > 2x - 10$$
  $x < 4$ 

### You Try #6

$$-11 < -6x + 1 \qquad x < 2$$





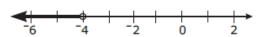


# Lesson 6.2.5 – Two-Step Inequalities

#### **STATE TEST PREP** Try These...

- (1) What is the solution to the inequality 3x 42 > 3?
  - Α x > -13
  - $x < ^{-}13$
  - C x > -15
  - $x < ^{-}15$ D
- (2) Which choice is a graph of the solution set for 12 - x < 8?

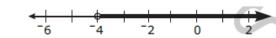




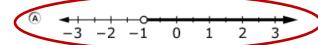




D



Which number line shows the solution to the inequality -3x - 5 < -2? (3)



- (4) Which set of numbers is included in the solution set of 4 - 3x < -2?
  - {2.5, 8, 15}
  - {-8, 0, 1.5} В
  - {-15, -8, 0} С
  - $\{0, 2.5, 8\}$ D

Date

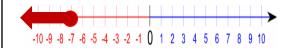
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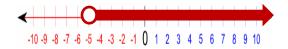
#### Solve and Graph each inequality.

1) 
$$3x + 12 \le -9$$
  $x \le -7$ 

$$x \leq -7$$

2) 
$$\frac{x}{5} - 3 > -4$$
  $x > -5$ 

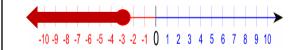


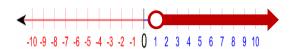


3) 
$$0 \ge 5k + 15$$
  $k \le -3$ 

$$k \leq -3$$

4) 
$$9 - 2y < 7$$
  $y > 1$ 





#### Solve each inequality.

5) 
$$-\frac{x}{4} + 2 > 11$$
  $x < -36$ 

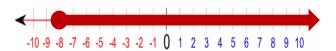
$$x < -36$$

6) 
$$6t + 7 \ge -23$$
  $t \ge -5$ 

$$t \geq -5$$

7)  $-k + 75 \le 100$   $k \ge 25$ 

- 8) List 3 possible solutions to the inequality 2 - 7x > 9. x < -1 ... Answers will vary.  $\{-1.5, -2, -10\}$
- Graph the following inequality:  $-8 \le x$ 9)



10) John solved the inequality  $3x - 5 \ge 28$  and determined that x could equal to 12. Is John correct? Explain why or why not. <u>John is correct. The solution is  $x \ge 11$ . Twelve</u> meets the criteria because it is greater than 11.

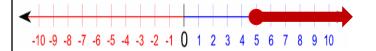
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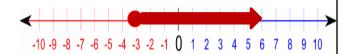
1) Solve and Graph.

$$2x + 4 \ge 14$$
  $x \ge 5$ 

2) Solve and Graph.

$$\frac{x}{-3} - 3 \le -2$$
  $x \ge -3$ 



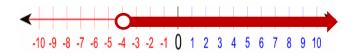


3) Solve and Graph.

$$-15 < 2x - 7$$
 x > -4

4) Solve for x.

$$-24 + 7x < 11$$
 x < 5



5) **Solve** for *h*.

$$6h - 10h + 2 \ge -10$$
 **x**  $\le$  **3**

6) **Solve** for x.

$$-x + 5 > 23$$
 x < -18